

A Growth Model of the Data Economy  
*Farboodi and Veldkamp*

Discussion – Minnesota Corporate Finance Conference – October 2020

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# This Paper

## Broad agenda about the role of data in macroeconomics

- What is the importance of data in the production function
  - ▶ How does it affect aggregate output?
  - ▶ What are the characteristics of a “market” for data
  - ▶ What makes data special? Is it different from R&D?

## Some Predictions

- Data alone does not sustain long run growth
- In the model data shows complementarity features
- Increasing returns to scale account for specialization: firms as a data vendors

# This Discussion

- Highlight some of the key assumptions to model data
  - ▶ How does data get into production functions
- Link to standard growth models
  - ▶ What would it take to get data fueled growth?
  - ▶ Does data foster learning by doing?

# Plan

**1** Framework: Data as a Firm Input

**2** Data and Classical Growth Models

# Key Modelling Choices

## Standard Production Function

- DRS Technology:  $y_i = A_i k_i^\alpha$ 
  - ▶ From early growth literature:  $g = \text{savings rate} \rho m A K^{\alpha-1}$
  - ▶ Cannot sustain long term growth without endogenous change in productivity  $A$
- Data: a candidate to endogenous growth
  - ▶ Firms accumulate data from operations:  $n_i = z_i k_i^\alpha$
  - ▶ Data enters productivity  $A_i = \bar{A} - f(n_{i,t}, n_{i,t-1}, \dots)$

## Data is Special

- Non-rival: data can be sold without incurring losses to other firms
- Interesting results on firm accumulation path



# Modelling Data

## Data Accumulation

- Data are a byproduct of production: no agency in data production
- Inside data accumulation is passive
- Outside data acquisition in competitive markets
  - ▶ data can be sold / bought on markets at price  $\pi$
  - ▶ non-rival good (Romer): data is replicable

## What is Data Good for?

- Potential productivity  $\bar{A}$ 
  - ▶ Information friction about production process introduce a gap
  - ▶  $A_i = \bar{A} - d(\theta + \epsilon_{a,i}, a_i)$
  - ▶ Learning about a persistent moving target  $\theta + \epsilon_{a,i}$
  - ▶ Datas are signals about production processes  $\theta$
- Interesting results on firm accumulation path

# Main Results

## No long run growth

- DRS in aggregate productivity ( $\alpha < 1$ )
- Upper bound on  $\bar{A}$
- Standard result on impossibility of long run growth ... endogenous growth runs out of steam

## Data Feedback

- Data accumulation tied to output or size of a firm
  - ▶  $\uparrow k_i \Rightarrow \uparrow n_i \Rightarrow \uparrow A_i \Rightarrow \uparrow k_i$
  - ▶ Small firms have low  $n_i$ , low productivity, no incentives to invest and grow

## Specialization

- Large firms generate lots of data:
  - ▶ sell it or keep it and produce high quality goods
  - ▶ data salesman (google/fb) or data hoarder (uber)

# Plan

1 Framework: Data as a Firm Input

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# Growth Models: Romer (1986)

- Firms produce  $y_j = \bar{A}k_j^\alpha$ 
  - ▶ Agg. productivity depends on agg. capital stock:  $\bar{A} = A_0 \int k_i^\eta di$
  - ▶ Introduces externality in capital accumulation
- Here set up differs from Romer (1986):
  - ▶  $y_j = \bar{A}(1 - f(n_j))k_j^\alpha$
  - ▶  $f(\cdot) > 0$ , does not allow for endogenous growth in  $\bar{A}$
- Can we have endogenous growth with? Why is  $\bar{A}$  bounded?

# Growth Models: second generation, Romer (1987, 1990)

## Expanding Varieties

- Expanding variety:  $Y = L^{1-\alpha} \int_0^M x_i^\alpha di$
- Final output:  $Y = M^{1-\alpha} \cdot (L^{1-\alpha} X^\alpha)$ : with  $X = \int x_i di$
- GDP growth:  $g = d \log M_t / dt$

## What is data good for

- Inferring product demand: restricts growth. There is only so much we want to consume in frictionless world
- Create new product: see AI generated content (GPT-3), Netflix shows etc...
- How is data different from R&D?

# Other Comments

What is  $\bar{A}$ ?

- If it is the short-run productivity
  - Data is mostly about demand estimation
- If  $\bar{A}$  is some sort of theoretical limit (e.g. speed of light)
  - then model feels less restrictive about creating growth
  - But it is also hard to map to actual data

**On the empirical side**

- Show some evidence of main mechanism ... data traps
- Data hoarding when data is very specific (is that really the case for uber?)

# Final Thoughts

Very interesting Paper!

Take away

- Data drives dynamics over lifecycle over the firm
- Important input into production function

Great Paper!